

**非接觸式馬達驅動與伺服控制關鍵技術之開發**  
**Study of Key Technologies for Motor Driver and Servo**  
**Control Using a Contactless Power System**

---

Department of Electrical Engineering  
National Changhua University of Education

Ying-Shing Shiao

2011/01/25

1

**Outline**

---

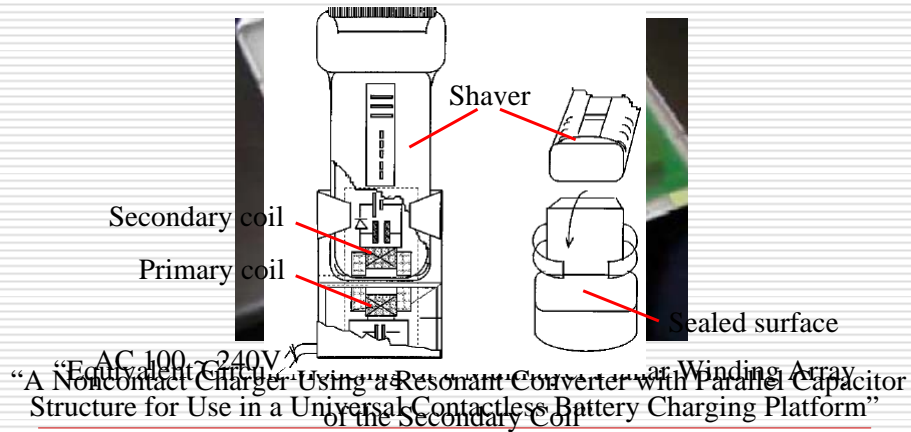
- Introduction**
- Motivation**
- System Configuration**
- Simulation and Experimental Results**
- Conclusions**

2011/01/25

2

## Introduction

- low power applications for portable electronic devices

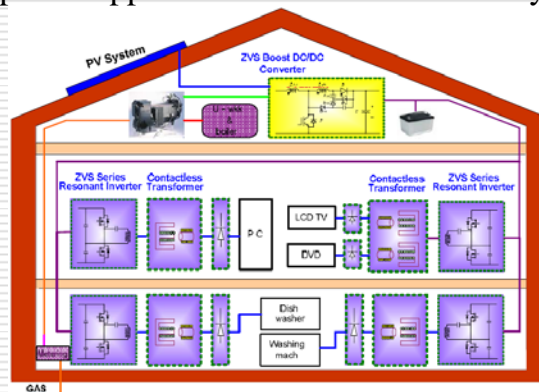


2011/01/25

3

## Introduction

- middle power applications for home electric systems



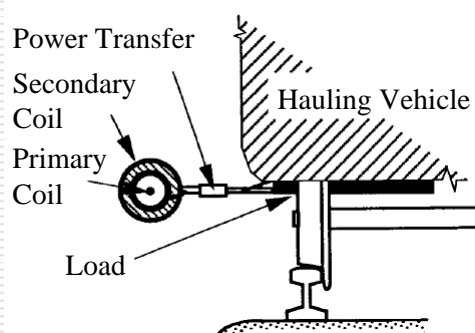
“A Contactless Power Supply for Photovoltaic Power Generation System”

2011/01/25

4

## Introduction

- high power applications for public transport systems



“Contactless Power Delivery System for Mining Applications”

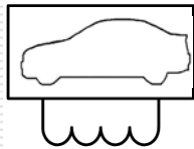
2011/01/25

5

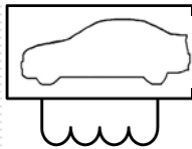
## Motivation



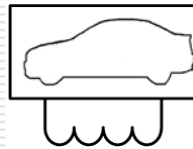
Electric vehicle



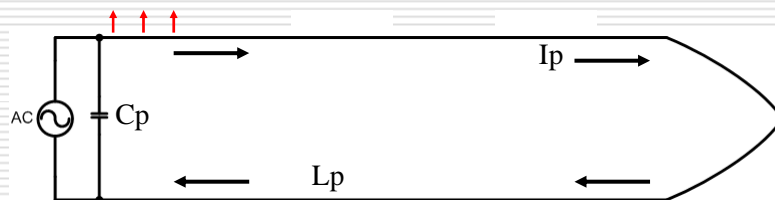
Electric vehicle



Electric vehicle



Pickup  $L_s$

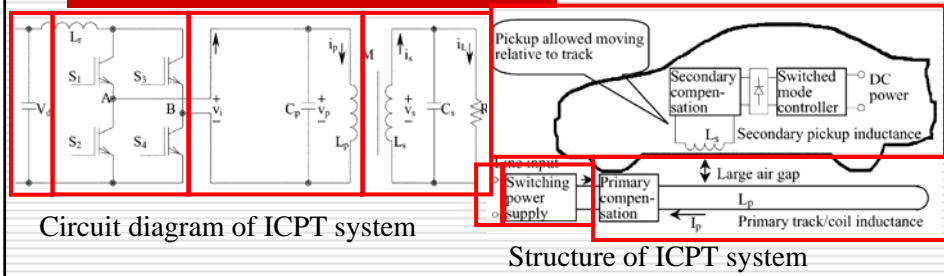


2011/01/25

Primary track / coil inductance is buried in the ground

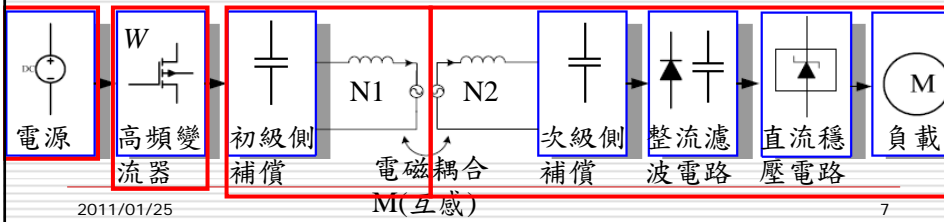
6

## Contactless power transfer system (CPTS)



Circuit diagram of ICPT system

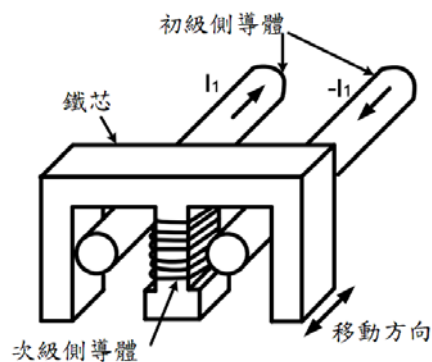
Structure of ICPT system



2011/01/25

7

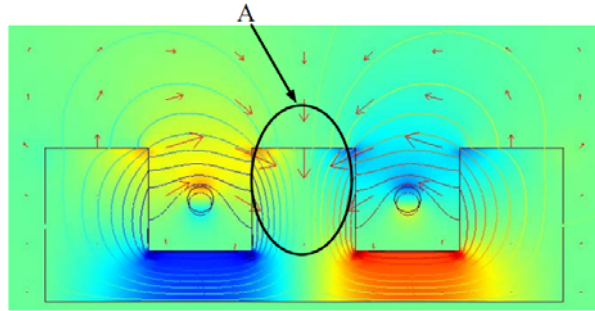
## E型鐵芯變壓器



2011/01/25

8

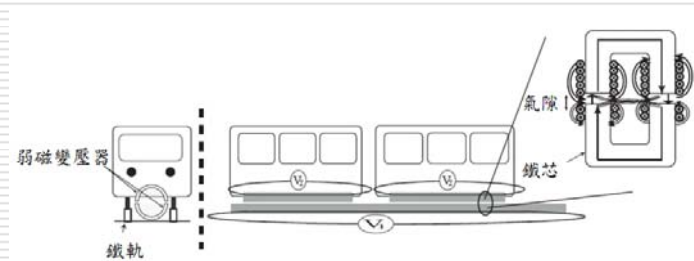
## ECT的磁通分佈



2011/01/25

9

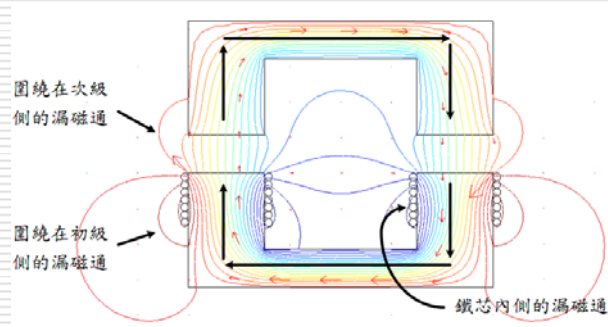
## 非接觸式U型鐵芯應用於運輸系統



2011/01/25

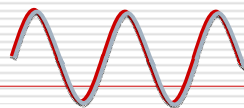
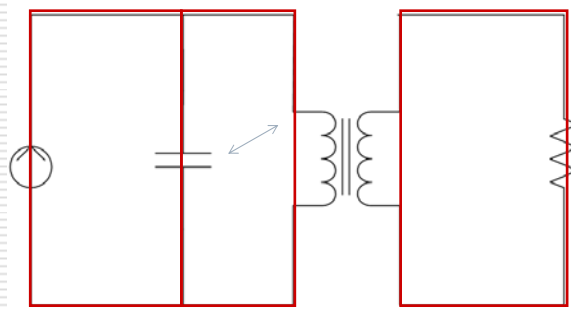
10

## U型或C型鐵芯變壓器



2011/01/25

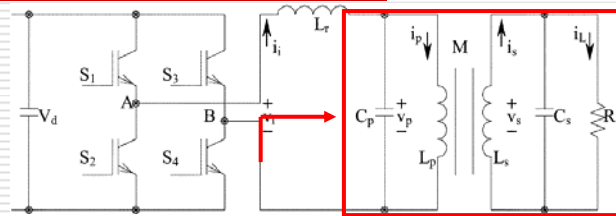
11



2011/01/25

12

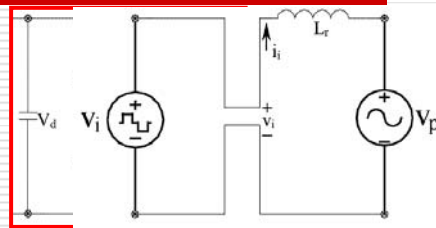
## An LCL load resonant inverter



2011/01/25

13

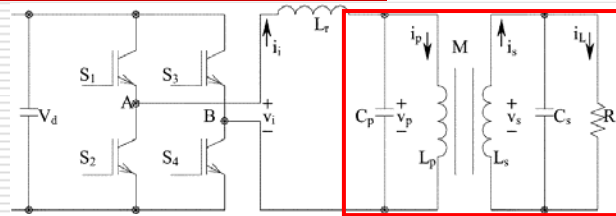
## An LCL load resonant inverter



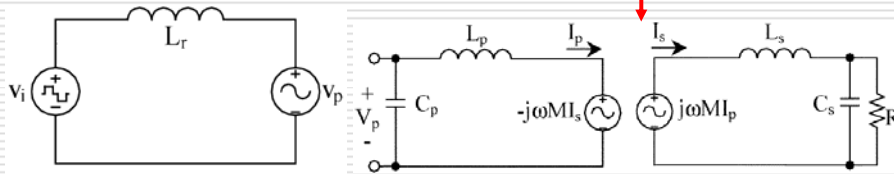
2011/01/25

14

## An LCL load resonant inverter



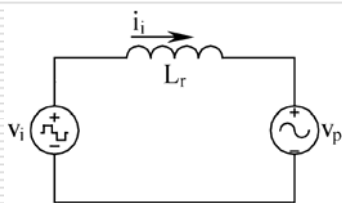
Circuit diagram of ICPT system driven by an LCL load resonant



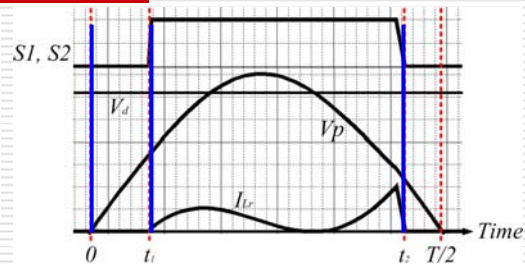
Inverter model

Resonant tank model

## Inverter model



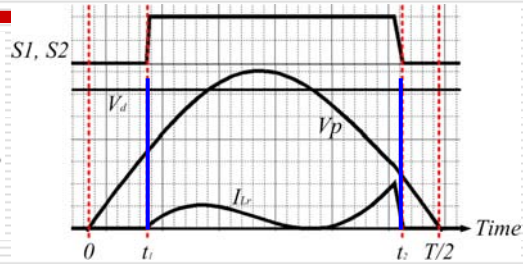
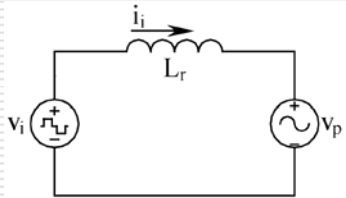
$$v_p(t) = \hat{V}_p \sin \omega t$$



$$v_i(t) = \begin{cases} v_p(t) & 0 < t < t_1 \\ V_d & t_1 < t < t_2 \\ v_p(t) & t_2 < t < \frac{T}{2} \end{cases} \quad \begin{cases} v_i(t) - v_p(t) = L_r \frac{di_i(t)}{dt} \\ i_i(t) = \frac{V_d}{L_r} (t - t_1) + \frac{\hat{V}_p}{\omega L_r} [\cos \omega t - \cos \omega t_1] \end{cases} \quad t_1 < t < t_2$$



## Inverter model



$$P_i = \frac{2V_d}{T} \int_{t_1}^{t_2} i_i(t) dt$$

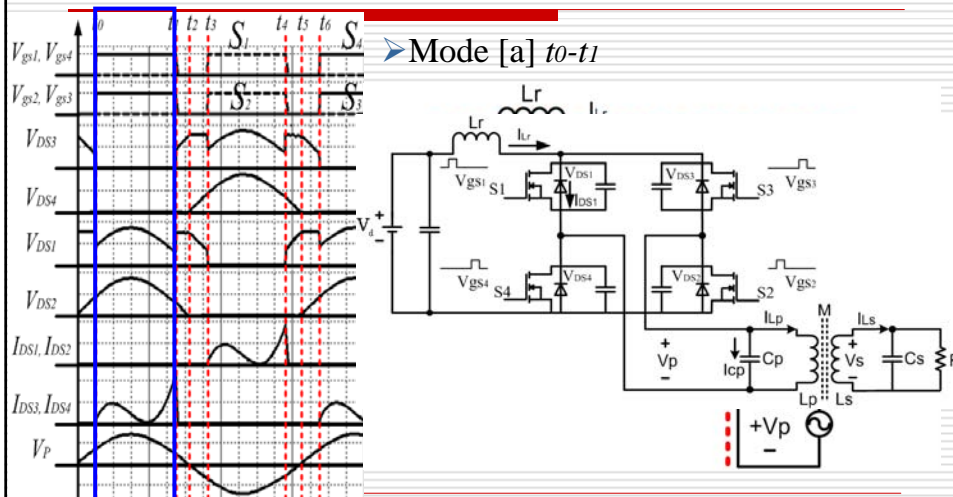
$$i_i(t) = \frac{V_d}{L_r}(t-t_1) + \frac{\hat{V}_p}{\omega L_r} [\cos \omega t - \cos \omega t_1] \quad t_1 < t < t_2$$

$$P_i = \frac{\omega V_d^2}{2\pi L_r} (t_2 - t_1)^2 + \frac{V_d \hat{V}_p}{\pi \omega L_r} (\sin \omega t_2 - \sin \omega t_1 - \omega(t_2 - t_1) \cos \omega t_1)$$

2011/01/25

17

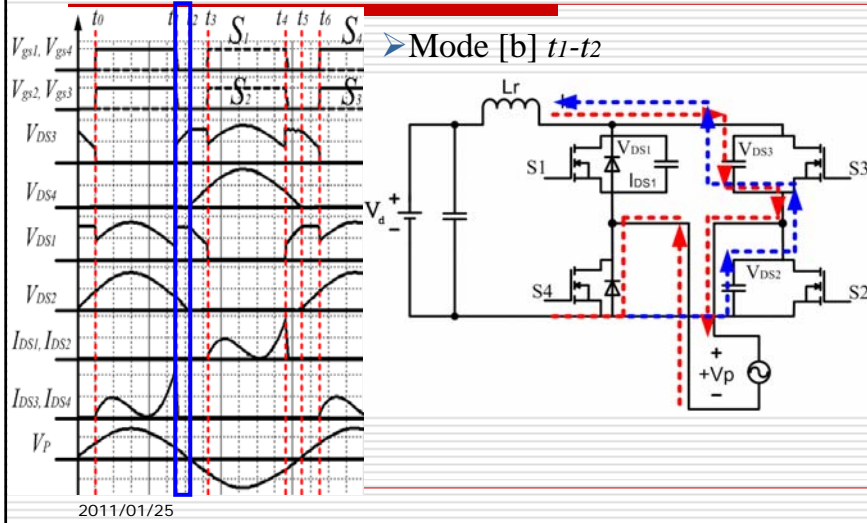
## Timing sequence and waveform diagrams



2011/01/25

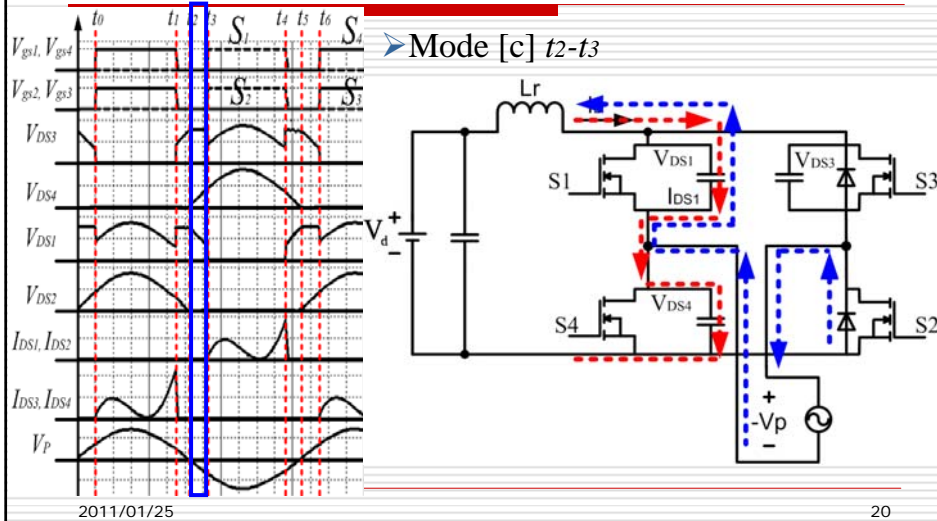
18

## Timing sequence and waveform diagrams



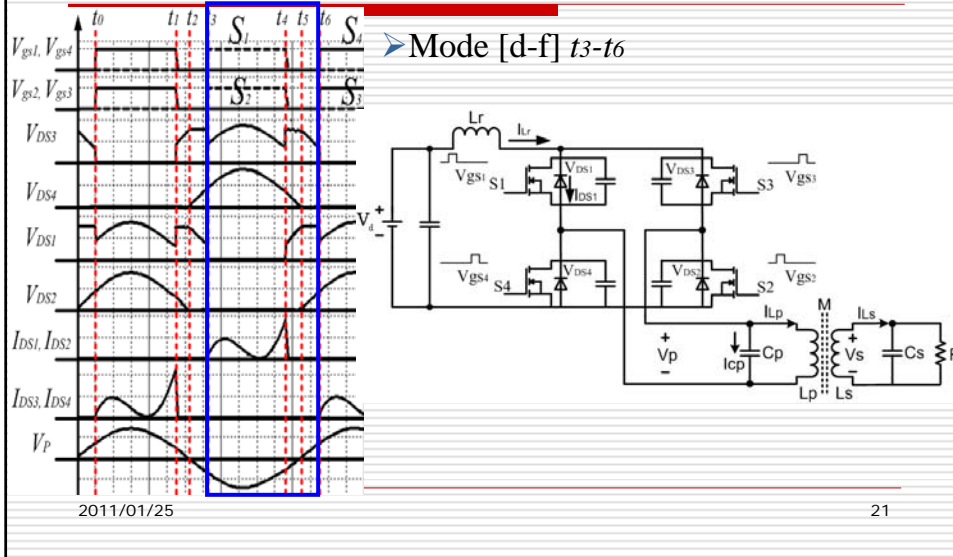
19

## Timing sequence and waveform diagrams

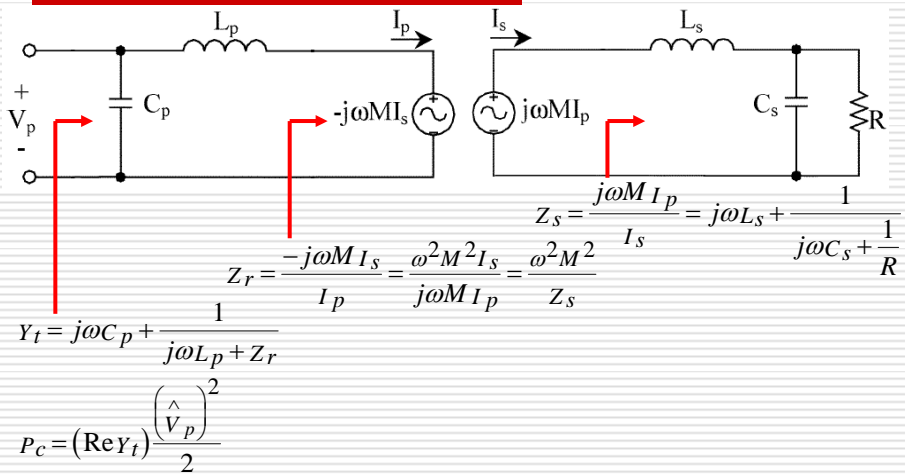


20

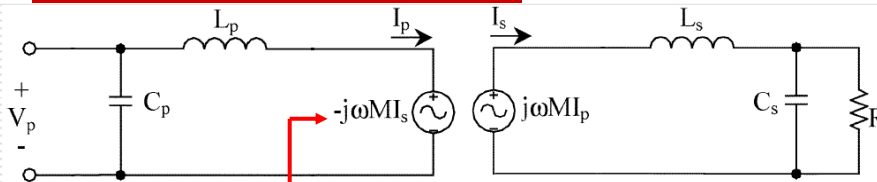
## Timing sequence and waveform diagrams



## Resonant tank model



## Resonant tank model



$$\operatorname{Re}Z_r = \frac{\omega^2 M^2 R}{R^2 (\omega^2 C_S L_S - 1)^2 + \omega^2 L_S^2} \quad \operatorname{Im}Z_r = \frac{-\omega^3 M^2 [C_S R^2 (\omega^2 C_S L_S - 1) + L_S]}{R^2 (\omega^2 C_S L_S - 1)^2 + \omega^2 L_S^2}$$

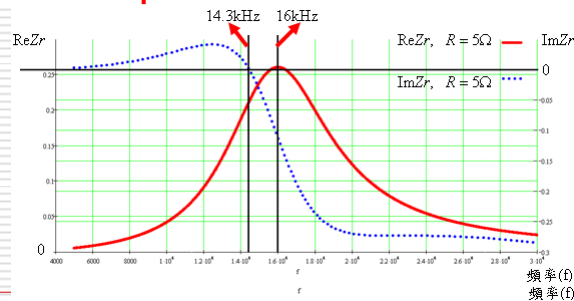
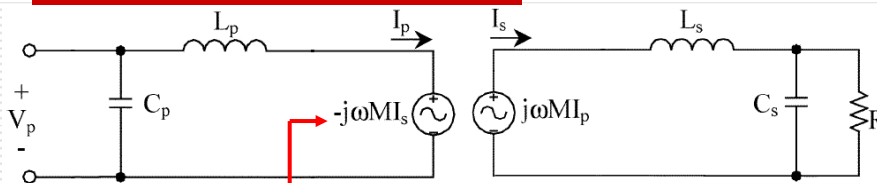
➤ Parameters of the resonant tank circuit :

$$L_p = 19.56 \mu\text{H}, L_s = 21.29 \mu\text{H}, M = 4.861 \mu\text{H}, C_p = 5 \mu\text{F}, \text{ and } C_s = 4.648 \mu\text{F}$$

2011/01/25

23

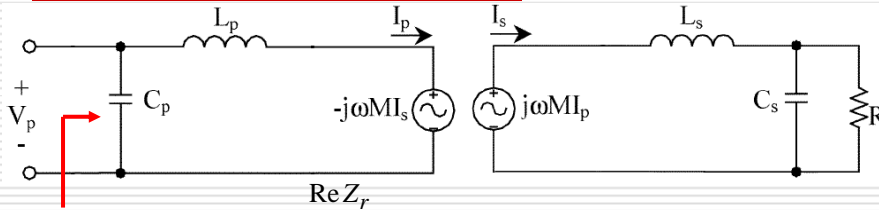
## Resonant tank model



2011/01/25

24

## Resonant tank model



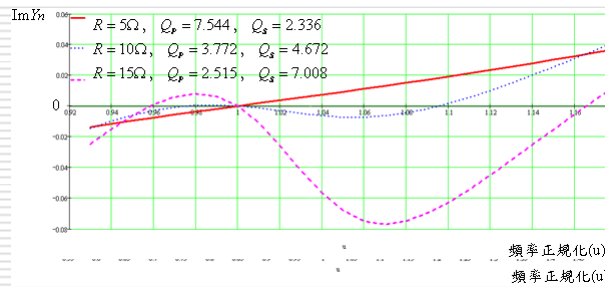
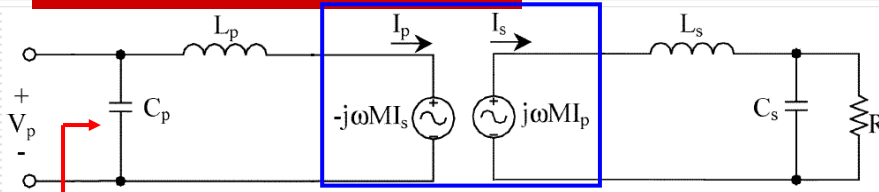
$$\text{Re}Y_n = \frac{\text{Re}Z_r}{\text{Re}Z_{r0}} \frac{1}{\left(\frac{\text{Re}Z_r}{\text{Re}Z_{r0}}\right)^2 + \left(\frac{\omega L_p}{\text{Re}Z_{r0}} + \frac{\text{Im}Z_r}{\text{Re}Z_{r0}}\right)^2}$$

$$\text{Im}Y_n = \omega C_p (\text{Re}Z_{r0}) - \frac{\frac{\omega L_p}{\text{Re}Z_{r0}} + \frac{\text{Im}Z_r}{\text{Re}Z_{r0}}}{\left(\frac{\text{Re}Z_r}{\text{Re}Z_{r0}}\right)^2 + \left(\frac{\omega L_p}{\text{Re}Z_{r0}} + \frac{\text{Im}Z_r}{\text{Re}Z_{r0}}\right)^2}$$

2011/01/25

25

## Resonant tank model



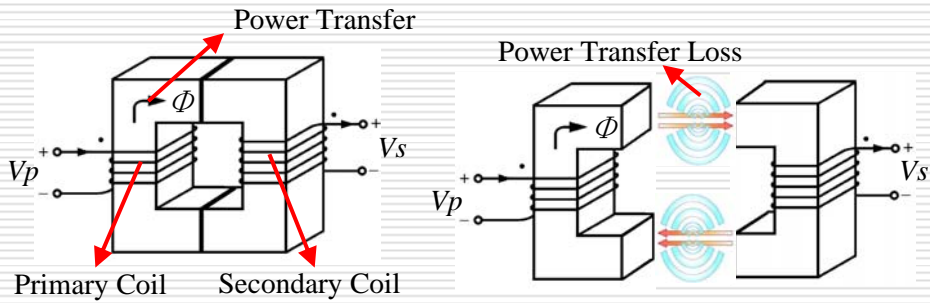
2011/01/25

26

## Inductive transformer

➤ Tightly coupled  $k \approx 1$

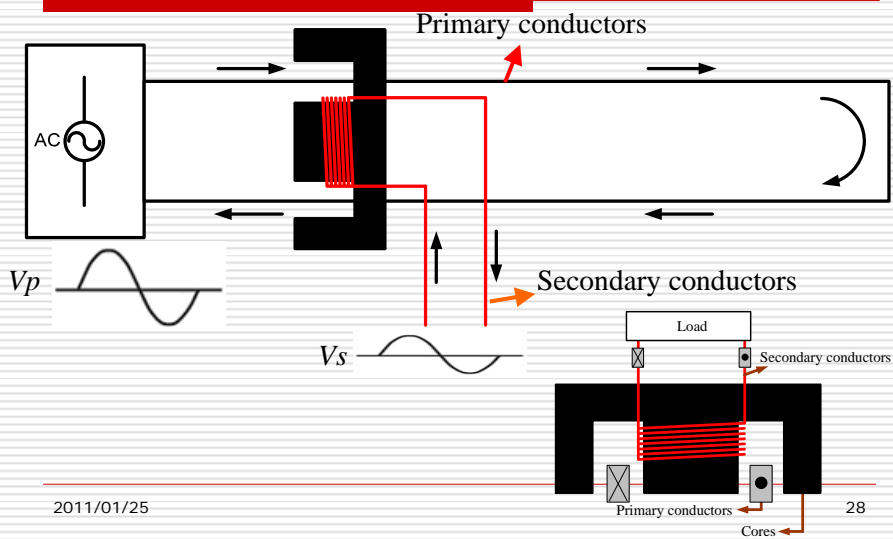
➤ Loosely coupled  $k \leq 0.8$



2011/01/25

27

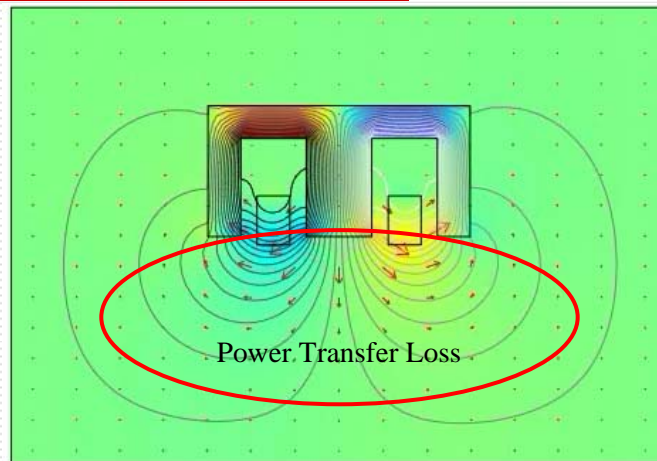
## Proposed LCIT (2-1)



2011/01/25

28

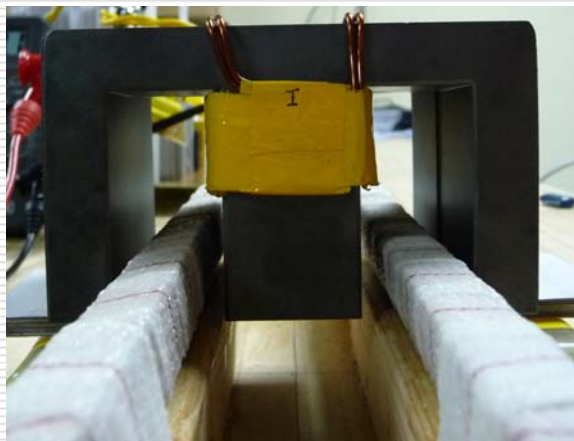
## Proposed LCIT (2-2) $k \leq 0.5$



2011/01/25

29

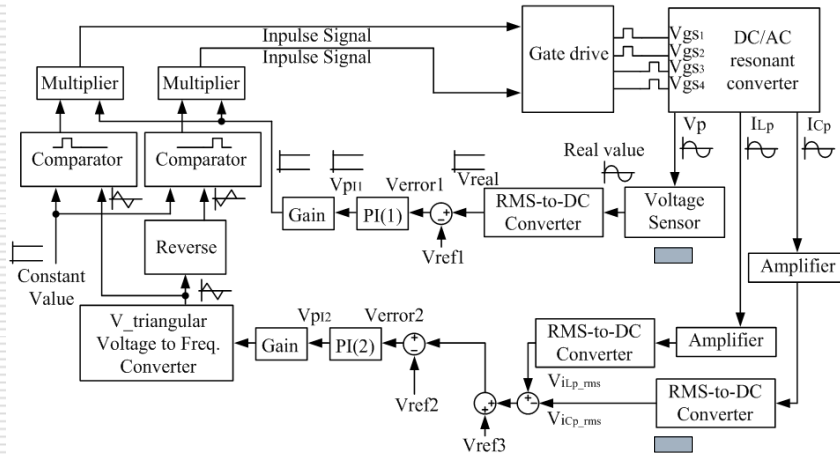
## Prototype power pickup transformer



2011/01/25

30

## ControlSystem



2011/01/25

31

## Parameters of the contactless power transfer system

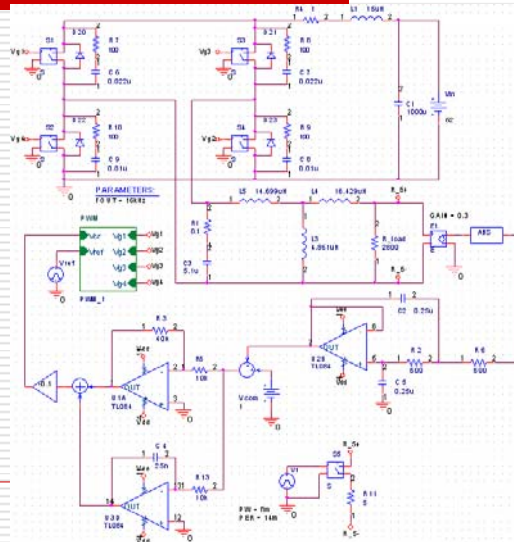
Nominal frequency	16kHz(15k~17kHz)
Rated power	200VA
Rated load	$5\Omega$
Primary inductance	19.56uH
Primary capacitance	5uF
Mutual inductance	4.861uH
Secondary inductance	21.29uH
Secondary capacitance	1.53uF
Magnetic coupling coefficient	0.238
$N_p$	4
$N_s$	7
Air gap	20mm

2011/01/25

32



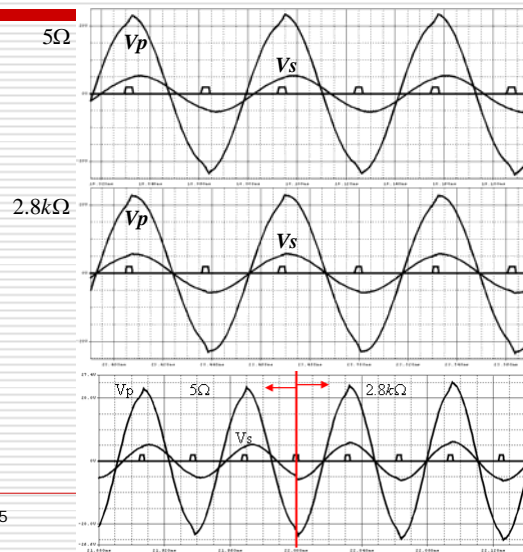
## The simulation configuration of the proposed CPTS



2011/01/25

33

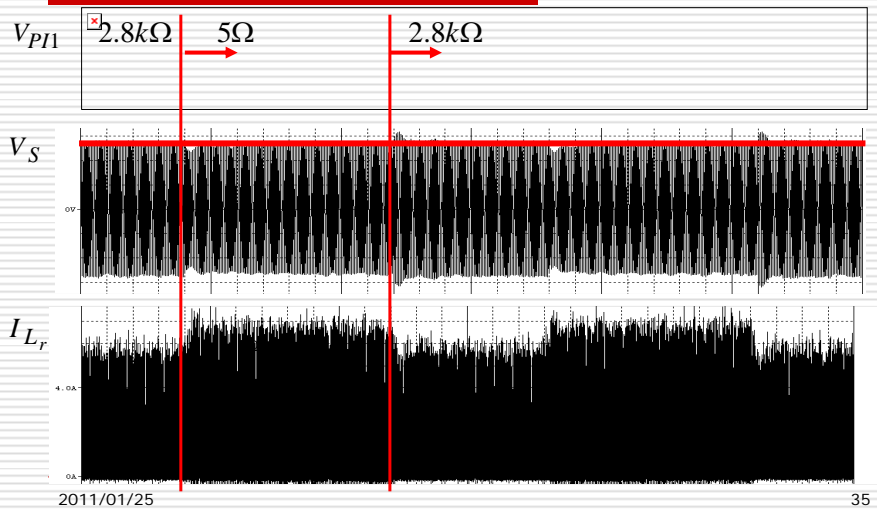
## Simulation result –gate signal, primary and secondary side voltage ( $V_p$ , $V_s$ )



2011/01/25

34

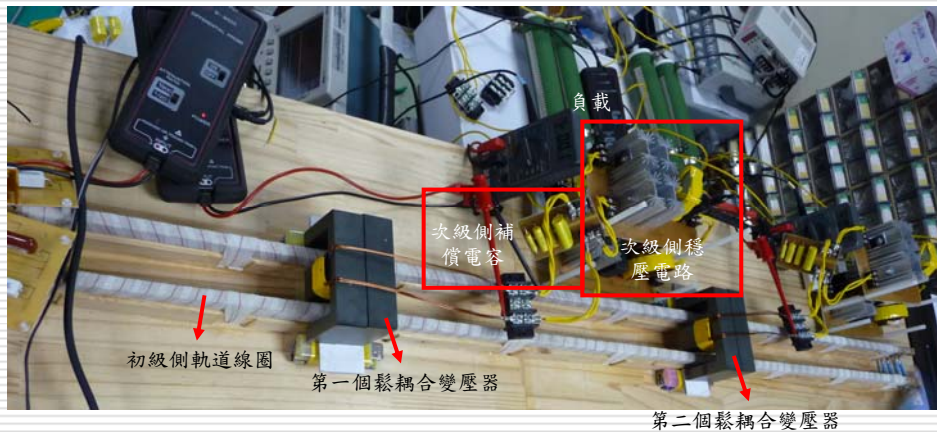
## Simulation result –the transient responses



## Photograph of a primary circuit



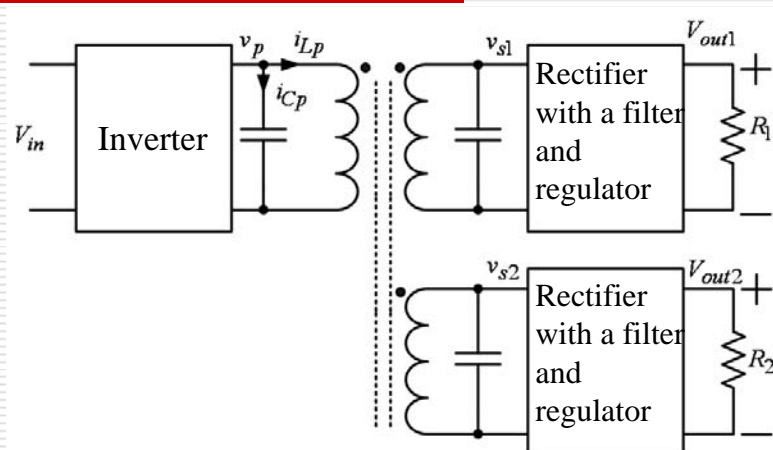
## Photograph of two secondary network



2011/01/25

37

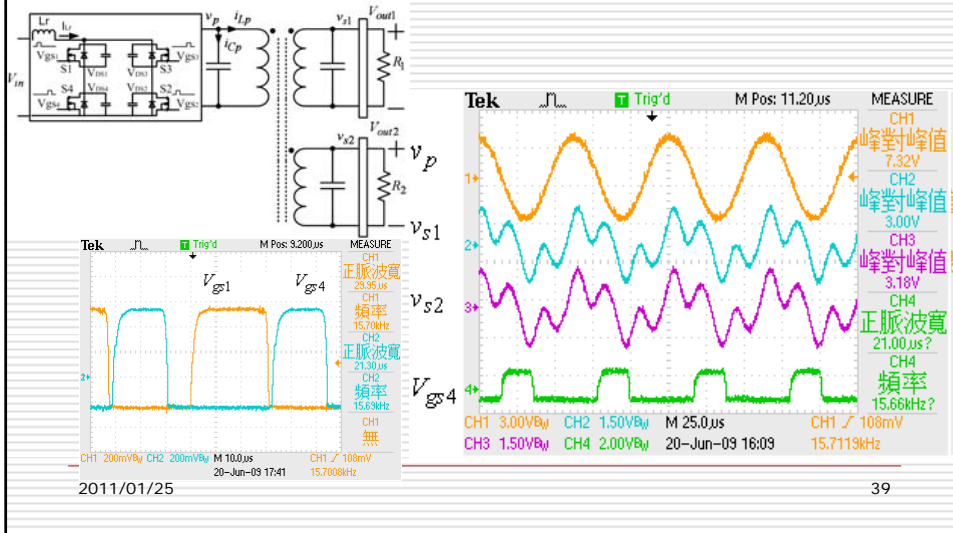
## Experimental results –with regulator (SEPIC)



2011/01/25

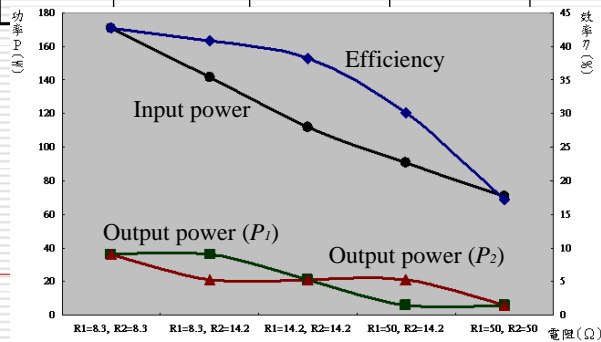
38

## Experimental results –with regulator (SEPIC)

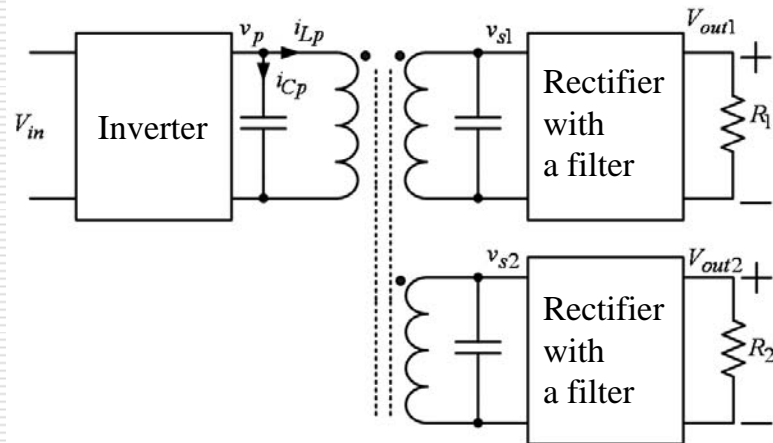


## With regulator (SEPIC)

Load	$R_1 = 8.3\Omega$ $R_2 = 8.3\Omega$	$R_1 = 8.3\Omega$ $R_2 = 14.2\Omega$	$R_1 = 14.2\Omega$ $R_2 = 14.2\Omega$	$R_1 = 50\Omega$ $R_2 = 14.2\Omega$	$R_1 = 50\Omega$ $R_2 = 50\Omega$
Input power	170.8	141.52	111.63	90.89	70.76
Output power	$P_1 = 36.47$ $P_2 = 36.47$	$P_1 = 36.47$ $P_2 = 21.32$	$P_1 = 21.32$ $P_2 = 21.32$	$P_1 = 6.06$ $P_2 = 21.32$	$P_1 = 6.06$ $P_2 = 6.06$
Efficiency(%)	42.71	40.84	38.2	30.12	17.11



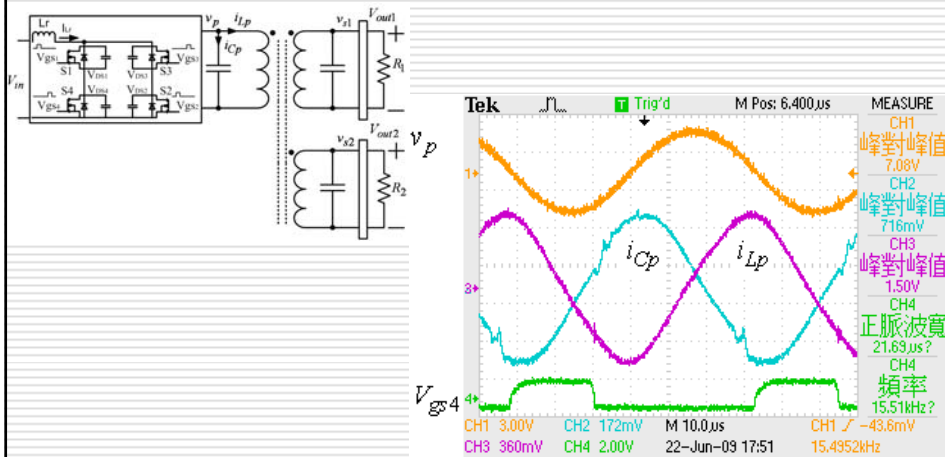
## Experimental results –without regulator



2011/01/25

41

## Experimental results –without regulator

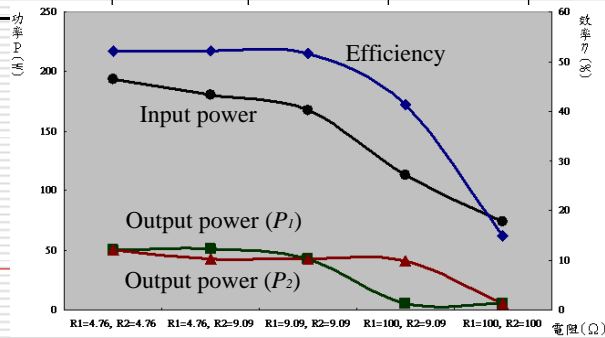


2011/01/25

42

## Without regulator

Load	$R_1 = 4.76\Omega$ $R_2 = 4.76\Omega$	$R_1 = 4.76\Omega$ $R_2 = 9.09\Omega$	$R_1 = 9.09\Omega$ $R_2 = 9.09\Omega$	$R_1 = 100\Omega$ $R_2 = 9.09\Omega$	$R_1 = 100\Omega$ $R_2 = 100\Omega$
Input power	193.37	180.56	167.14	112.85	73.81
Output power	$P_1 = 50.47$ $P_2 = 50.47$	$P_1 = 51.13$ $P_2 = 43.13$	$P_1 = 43.13$ $P_2 = 43.13$	$P_1 = 5.71$ $P_2 = 40.98$	$P_1 = 5.43$ $P_2 = 5.52$
Efficiency(%)	52.2	52.2	51.6	41.37	14.83

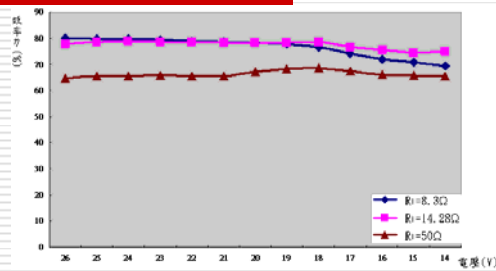


2011/01/25

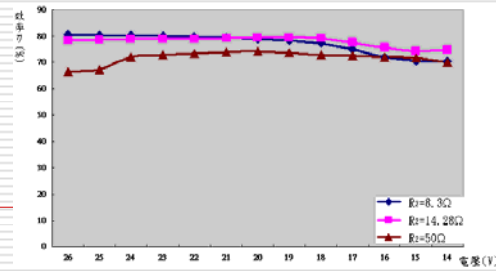
43

## Converter efficiency

SEPIC(1)



SEPIC(2)



2011/01/25

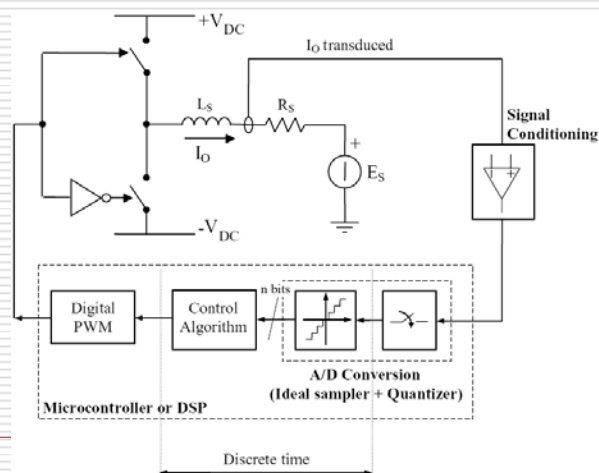
44

## Conclusions

- Tracking the resonant frequency of coils connected with capacitors can improve the transmission efficiency.
- The system resonant voltage is regulated by a controller when the voltage is changed by the load.
- The overall efficiency is 42.71% in the case of the output current is 4.2A, output voltage is 17.4V, and air gap is 20mm, respectively.

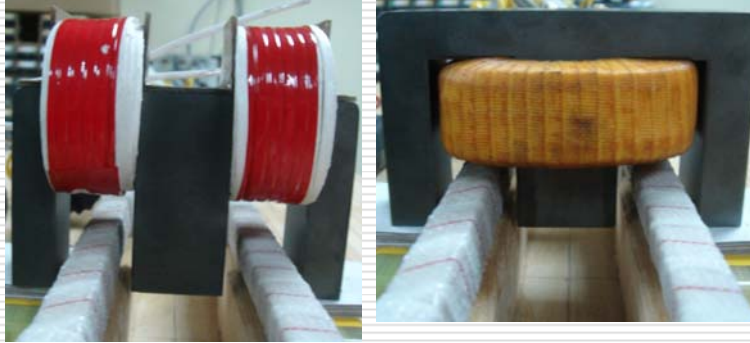
## In further study

### ➤ Microcontroller



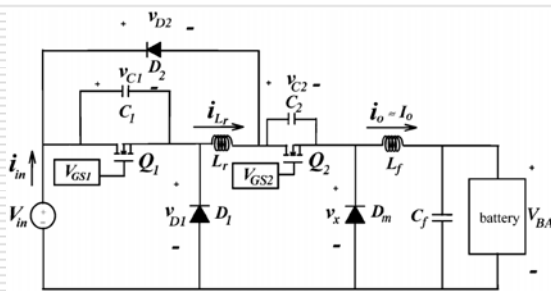
## In further study

### ➤ Different pickup

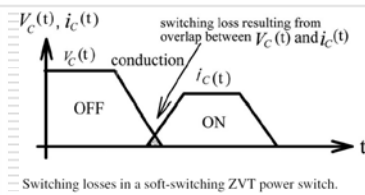


## In further study

### ➤ Employed soft switching



Developed charger with a ZVT soft-switching buck converter.



Switching losses in a soft-switching ZVT power switch.



---

Thanks for you attention !